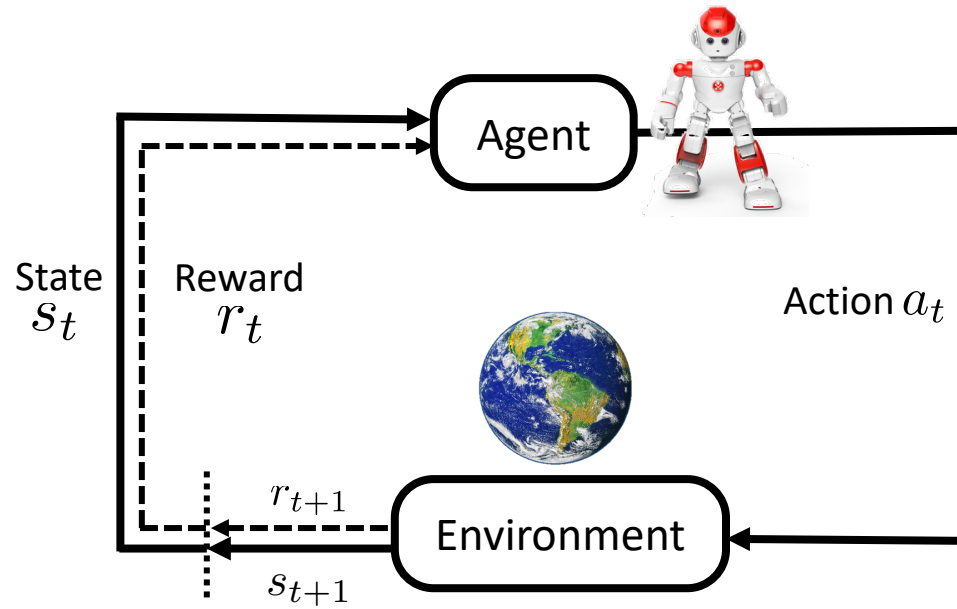
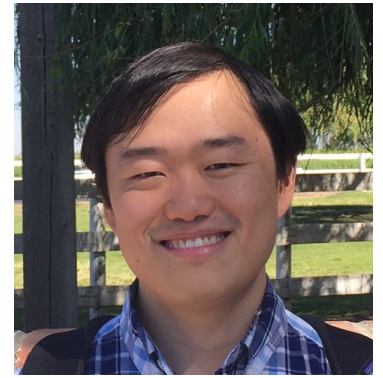


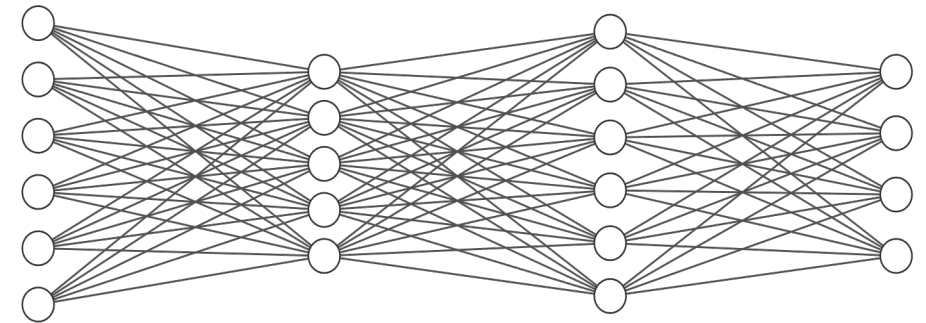
Learning Multi-Agent Collaborations With Decomposition

Yuandong Tian
Research Scientist
Facebook AI Research

Research Directions

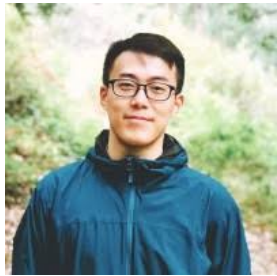


Reinforcement Learning



Theoretical Understanding of Deep Models

Multi-Agent Ad-hoc team play through Reward Attributional Q-functions



Tianjun Zhang^{1,4}



Huazhe Xu^{1,4}



Xiaolong Wang^{1,2}



Joseph E. Gonzalez¹



Yuandong Tian⁴



Yi Wu³



Kurt Keutzer¹

¹UC Berkeley

²UCSD

³Tsinghua University

⁴FaceBook AI Research

Videos: <https://sites.google.com/view/colla-q-starcraft>

Code: <https://github.com/facebookresearch/CollaQ>

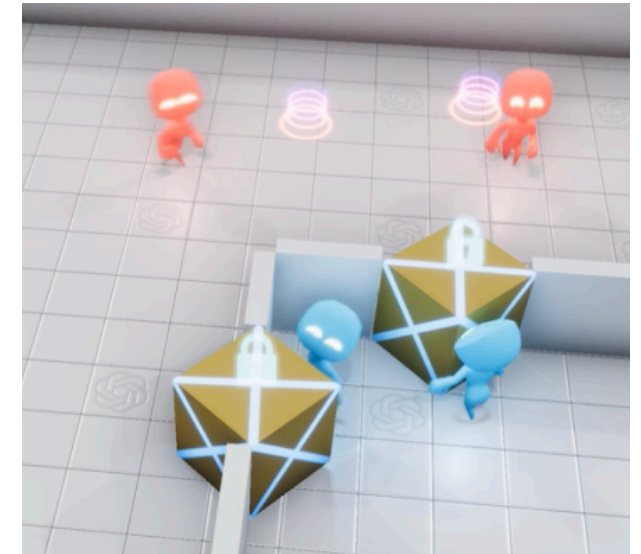
Multi-Agent Reinforcement Learning



DoTA 2
(OpenAI)



Quake 3
(DeepMind)



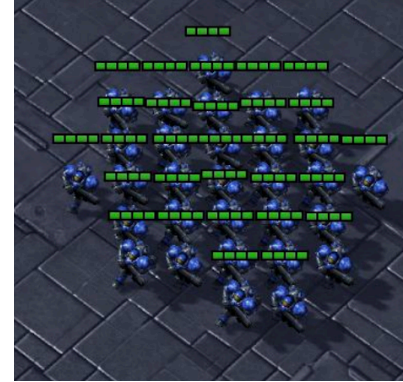
Find and Seek
(OpenAI)

Research Target

- **Efficiently** training collaborative agents
- **Adapt to new team configurations** in test time without fine-tuning



Training



Test

We propose Collaborative Q-learning (CollaQ)

Value Function Decoupling in Collaborative Setting

The state of agent i

Joint Value Function $V_{\text{joint}}(s_1, s_2, \dots, s_K)$



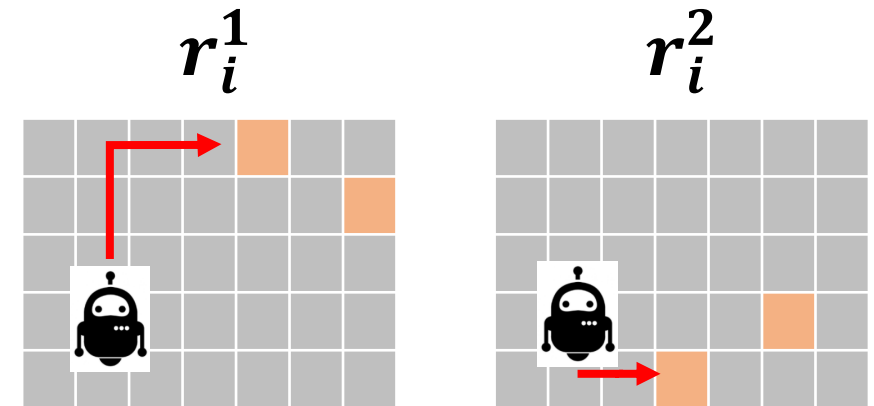
1. 😞 Exponential sample complexity to estimate this function
2. 😞 No decentralized execution
3. 😞 Not able to generalize with new agent / team mates.

Model agent collaborations using reward attribution.

The Assigned Reward for each agent i

$V_i(s_i; \mathbf{r}_i)$: the decentralized value function of agent i
conditioned on **assigned reward** \mathbf{r}_i

By changing the **assigned** rewards \mathbf{r}_i ,
the behavior of agent i is changed.



Different perceived reward leads to
different values/policies

Reward Assignment Problems

assigned reward

$$\max_{r_1, \dots, r_K} J(\mathbf{r}_1, \dots, \mathbf{r}_K) := \max \sum_{i=1}^K V_i(s_i; \mathbf{r}_i) \quad s.t. \quad \sum_{i=1}^K w_i \cdot \mathbf{r}_i \leq \mathbf{r}_e$$

☹️ Hard problem!

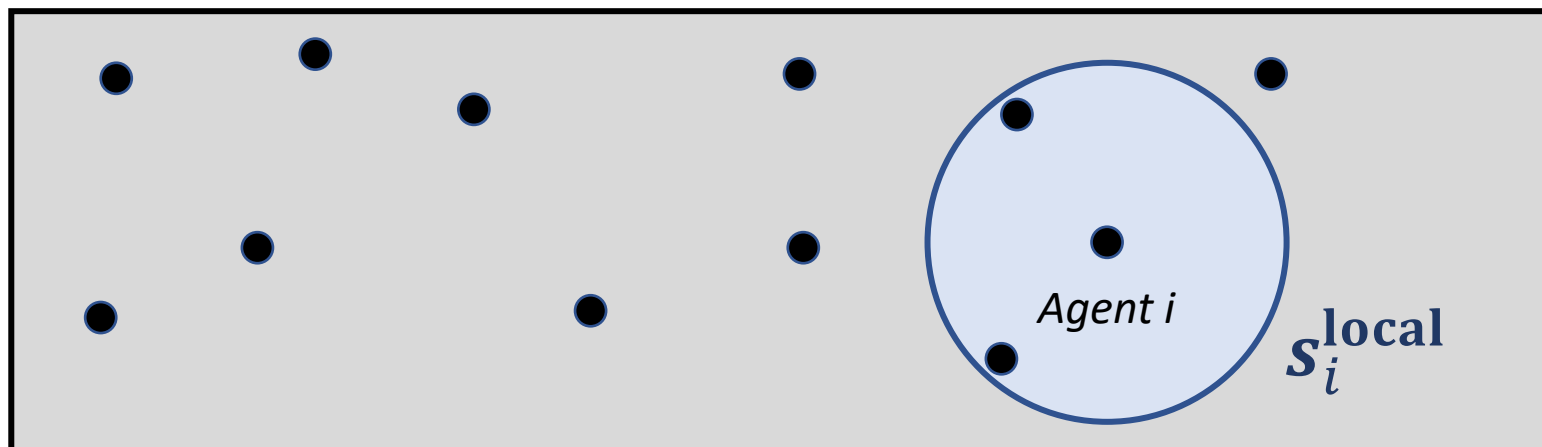
☹️ Not decentralized!

Approximate decentralized perceived reward \hat{r}_i

Theorem 1. For all $i \in \{1, \dots, K\}$, all $s_i \in S_i$, there exists a reward assignment \hat{r}_i that (1) only depends on s_i^{local} and (2) \hat{r}_i is the i -th column of a feasible global reward assignment \hat{R} so that

$$J(\hat{R}) \geq J(R^*) - (\gamma^C + \gamma^D) R_{\max} M K, \quad (2)$$

where C and D are constants related to distances between agents/rewards (details in Appendix).



$$\hat{r}_i = \hat{r}_i(s_i^{\text{local}})$$

Using end-to-end Training instead of getting \hat{r}_i

Taylor Expansion with respect to assigned reward:

$$\hat{r}_i = \hat{r}_i(\mathbf{s}_i^{\text{local}}) = r_{0i} + (\hat{r}_i - r_{0i}) \quad \text{assigned reward when the agent } i \text{ is alone}$$

$$Q_i(s_i, a_i; \hat{\mathbf{r}}_i) = \underbrace{Q_i(s_i, a_i; \mathbf{r}_{0i})}_{Q^{\text{alone}}(s_i, a_i)} + \underbrace{\nabla_{\mathbf{r}} Q_i(s_i, a_i; \mathbf{r}_{0i}) \cdot (\hat{\mathbf{r}}_i - \mathbf{r}_{0i}) + \mathcal{O}(\|\hat{\mathbf{r}}_i - \mathbf{r}_{0i}\|^2)}_{Q^{\text{collab}}(\mathbf{s}_i^{\text{local}}, a_i)}$$

Collaborative Q-learning (CollaQ)

$$Q_i(o_i, a_i) = Q_i^{\text{alone}}(o_i^{\text{alone}}, a_i) + Q_i^{\text{collab}}(o_i, a_i)$$

$$Q_i^{\text{collab}} = 0 \text{ if } o_i = o_i^{\text{alone}}$$

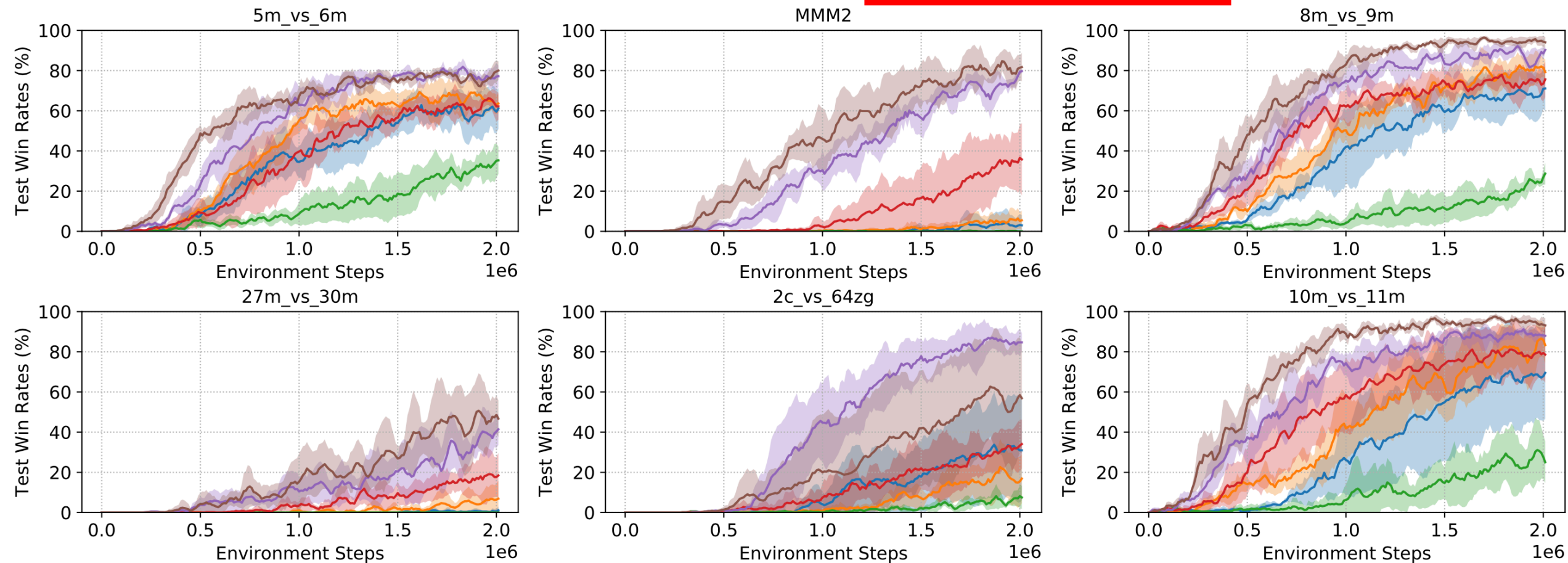
Objective function:

$$L = \mathbb{E}_{s_i, a_i \sim \rho(\cdot)} \left[\underbrace{(y - Q_i(o_i, a_i))^2}_{\text{DQN Objective}} + \alpha \underbrace{(Q_i^{\text{collab}}(o_i^{\text{alone}}, a_i))^2}_{\text{MARA Objective}} \right]$$

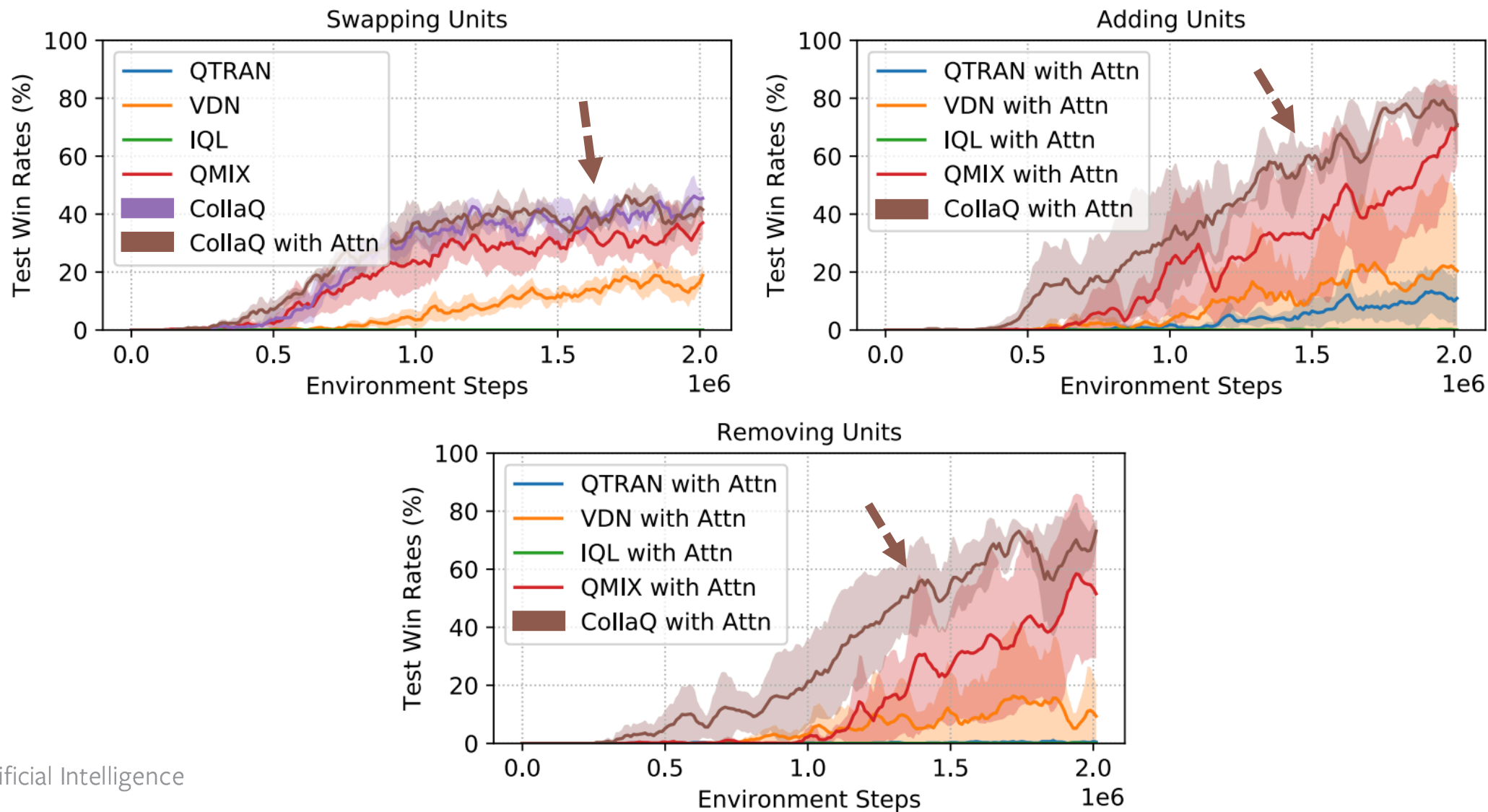
Starcraft II Multi-Agent Challenge



CollaQ outperforms baselines in *hard tasks*



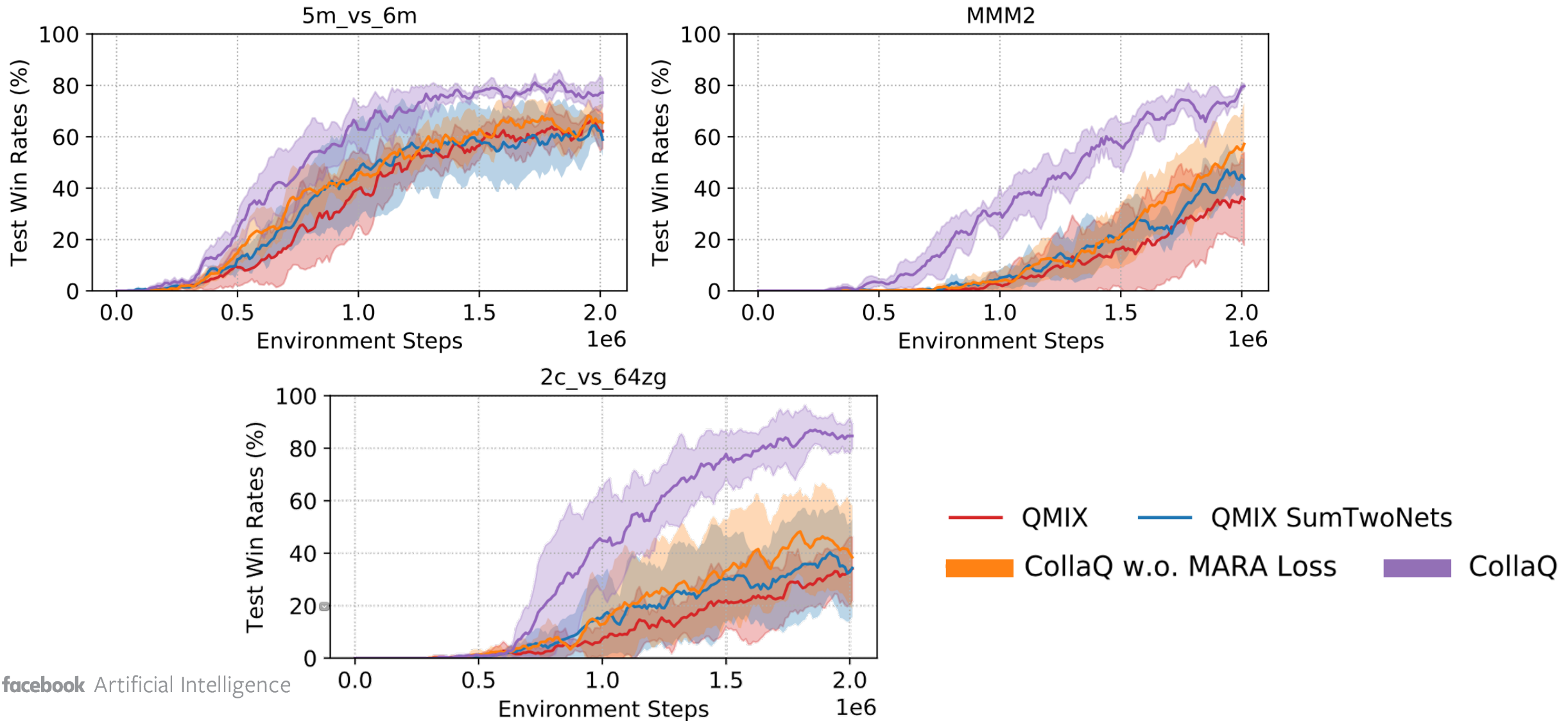
CollaQ performs well in ad hoc team play



Videos: <https://sites.google.com/view/collaq-starcraft>

Code: <https://github.com/facebookresearch/ColloQ>

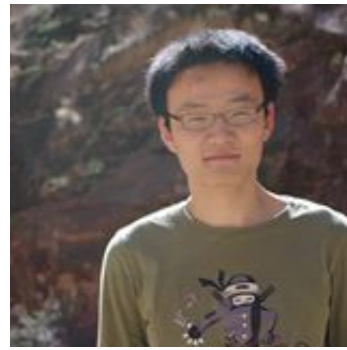
Ablation Studies



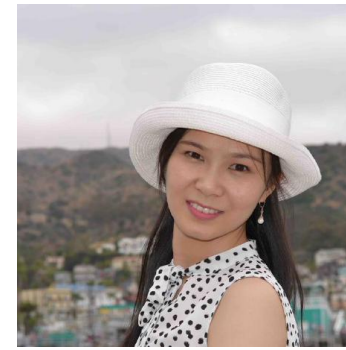
Joint Policy Search for Multi-agent Collaboration with Imperfect Information



Yuandong Tian



Qucheng Gong

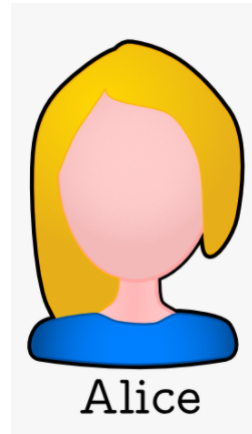
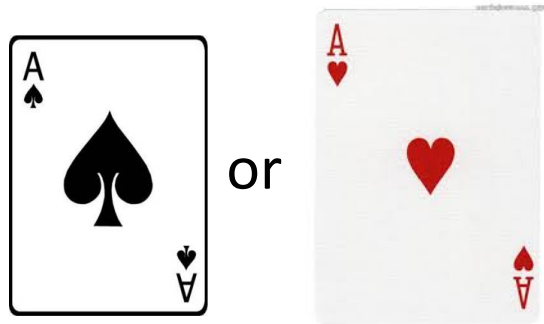


Tina Jiang

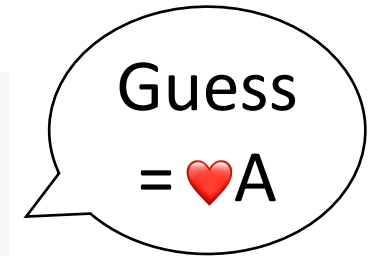
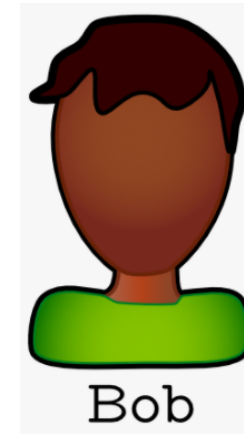
Facebook AI Research

An Illustrative Example

Private Card



Public Signal
1 or 2 or 3



One possible solution (6 symmetric solutions):

Private card	Alice's Action	Bob's Action
♥ A	1	Guess ♥ A
♠ A	3	Guess ♠ A
--	2	--

Not used

What if Alice and Bob never use signal 2,
but sending signal 2 come with additional rewards?

An Illustrative Example

Private Card



Public Signal
1 or 2 or 3



Guess
= ♥A

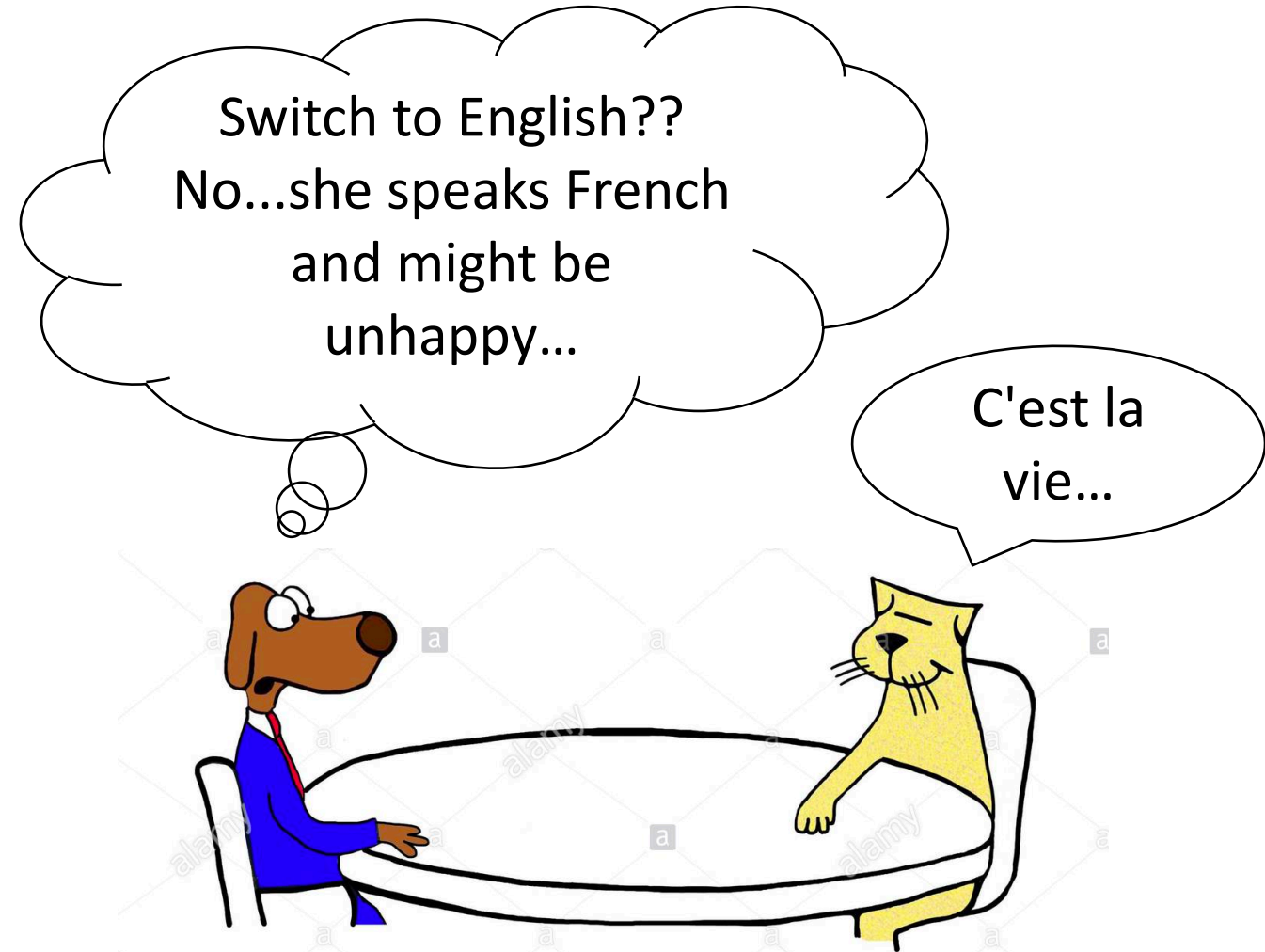
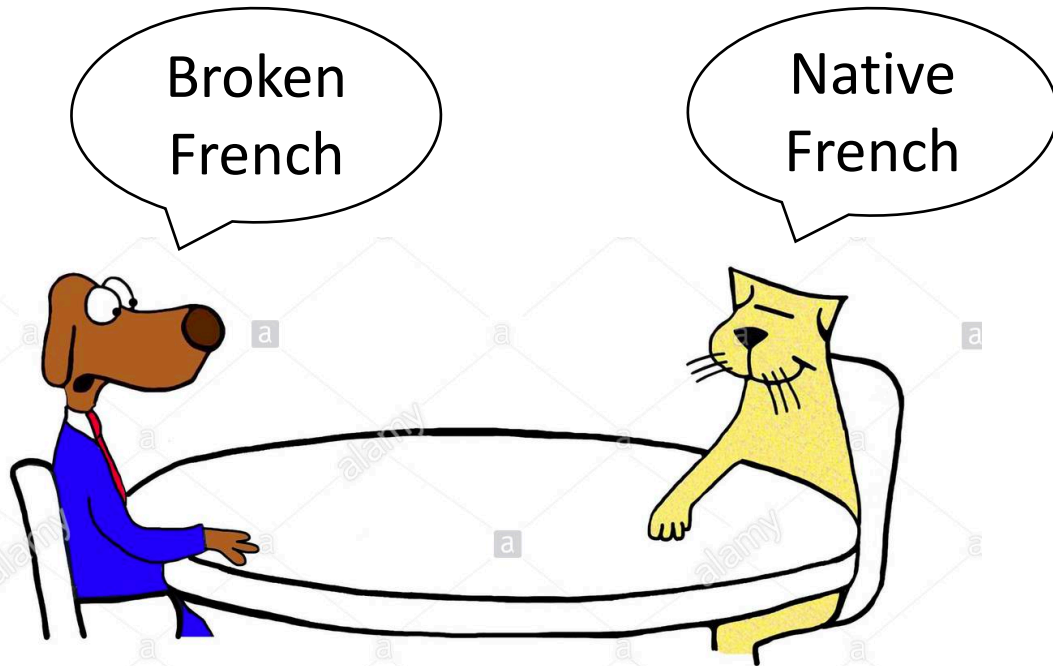
For pure multi-agent collaborative games, A unilateral optimization of policy doesn't improve overall value.

♥A	1	Guess ♥A
♠A	3	Guess ♠A
--	2	--

Not used

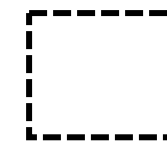
but sending signal 2 come with additional rewards?

Another example



A **unilateral** change of policy doesn't improve co-operative communication
(many single-agent DRL approach improves by unilateral changes of agent policy)

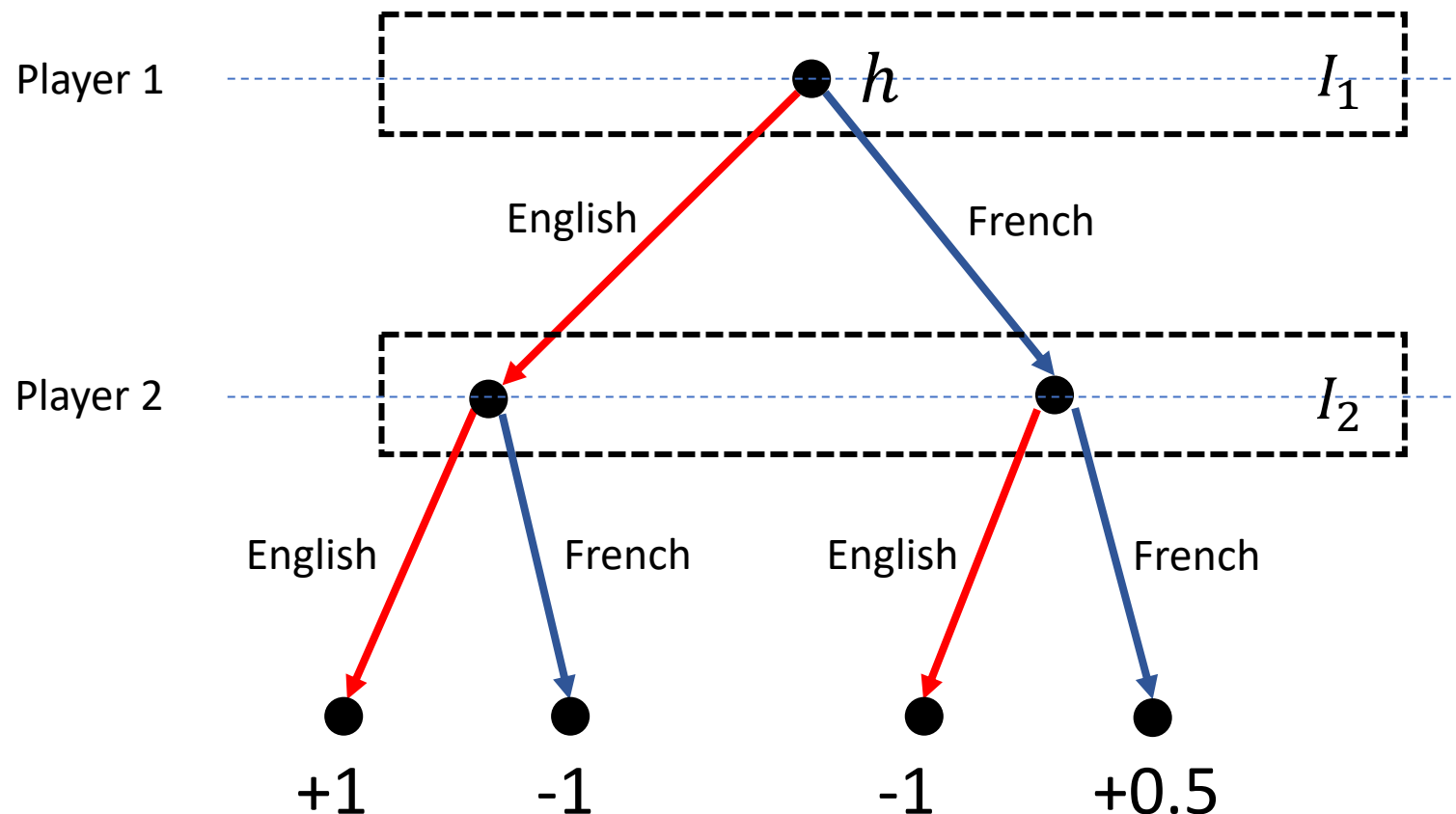
Communication Game



InfoSet



Complete state (h)



Player 2 makes the decision without knowing player 1's action.

(French, French):
local Nash Equilibrium +0.5

(English, English):
global Nash Equilibrium +1.0

A joint optimization of policy $\sigma(I_1)$ and $\sigma(I_2)$ yields optimal solution

Policy-change Density

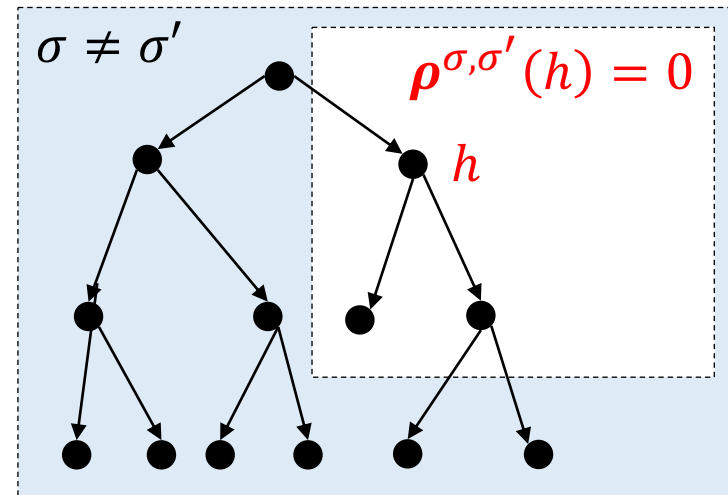
$$\text{Density } \rho^{\sigma, \sigma'}(h) = \pi^{\sigma'}(h) \left[\sum_{a \in A(I)} \sigma'(I, a) v^{\sigma}(ha) - v^{\sigma}(h) \right]$$

Two key properties:

(a) Its summation yields overall value changes

$$\bar{v}^{\sigma'} - \bar{v}^{\sigma} = \sum_{h \in Z} \rho^{\sigma, \sigma'}(h)$$

(b) For regions whose policy doesn't change, it vanishes even if policy changes at downstream/upstream states.



Value Changes w.r.t Localized Policy Change

Main Theorem

$$\underline{\bar{v}^{\sigma'} - \bar{v}^{\sigma}} = \sum_{\underline{I \in \mathcal{I}}} \sum_{h \in I} \rho^{\sigma, \sigma'}(h)$$

**Overall value changes
due to policy change**

**All active Infosets
($\sigma' \neq \sigma$)**

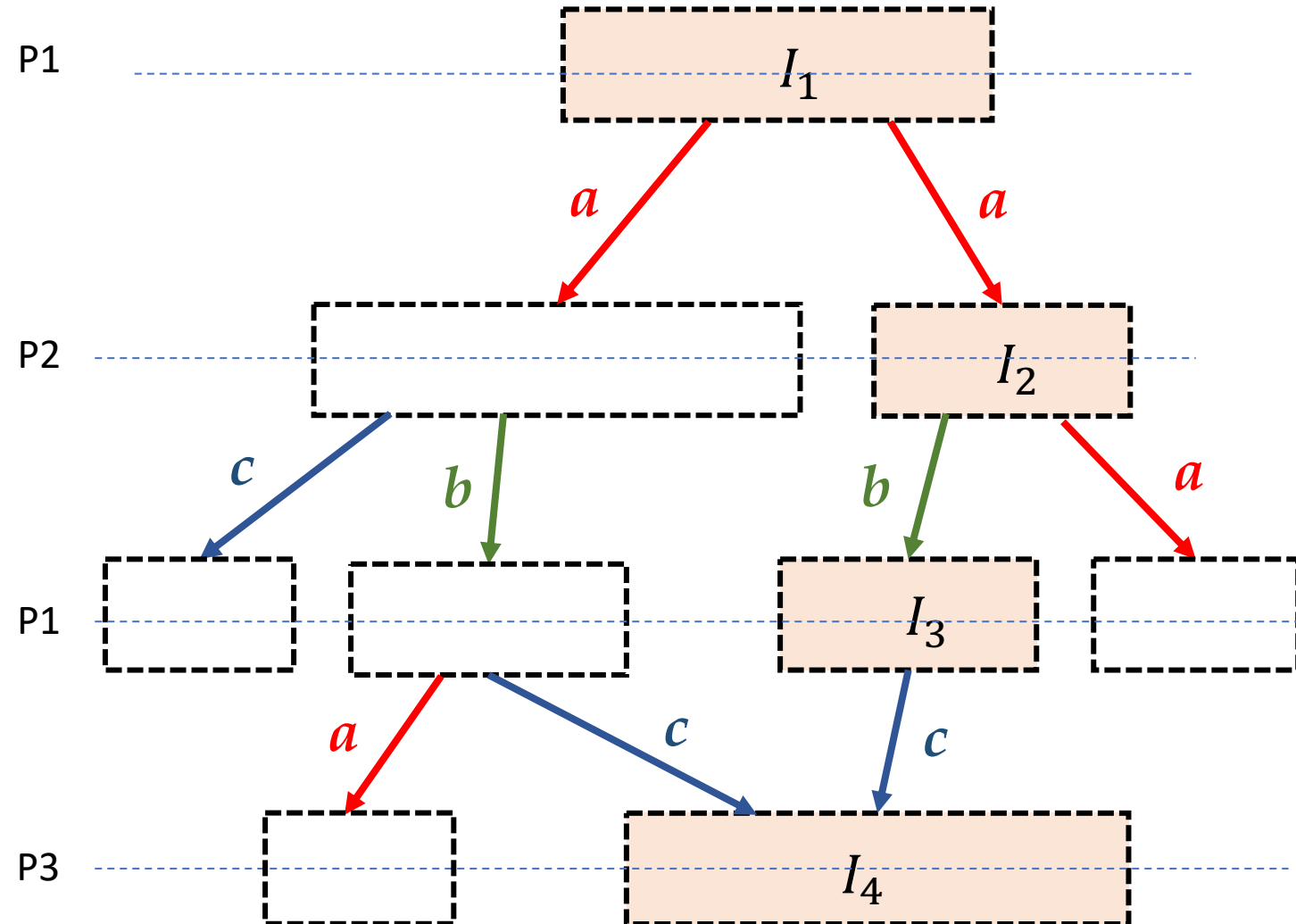
Inactive Infosets doesn't matter!!

JPS (Joint Policy Search)

1. Initial infosets $I_{\text{cand}} = \{I_1\}$
2. Pick $I \in I_{\text{cand}}$
3. Pick an action a
4. Set $\sigma'(I, b) = \delta(a = b)$
5. Compute $\rho^{\sigma, \sigma'}$
6. Set $I_{\text{cand}} = \text{Succ}(I, a)$

Repeat until maximal depth D is reached.

Backtrace
(depth-first search)



Performance

	Comm (Def. 1)				Mini-Hanabi [15]	Simple Bidding (Def. 2)			2SuitBridge (Def. 3)		
	$L = 3$	$L = 5$	$L = 6$	$L = 7$		$N = 4$	$N = 8$	$N = 16$	$N = 3$	$N = 4$	$N = 5$
CFR1k [43]	0.89*	0.85	0.85	0.85	9.11*	2.18*	4.96*	10.47	1.01*	1.62*	2.60
CFR1k+JPS	1.00*	1.00*	1.00*	1.00*	9.50*	2.20*	5.00*	10.56*	1.07*	1.71*	2.74*
A2C [26]	0.60*	0.57	0.51	0.02	8.20*	2.19	4.79	9.97	0.66	1.03	1.71
BAD [15]	1.00*	0.88	0.50	0.29	9.47*	2.23*	4.99*	9.81	0.53	0.98	1.31
Best Known	1.00	1.00	1.00	1.00	10	2.25	5.06	10.75	1.13	1.84	2.89
#States	633	34785	270273	2129793	53	241	1985	16129	4081	25576	147421
#Infosets	129	2049	8193	32769	45	61	249	1009	1021	5116	24571

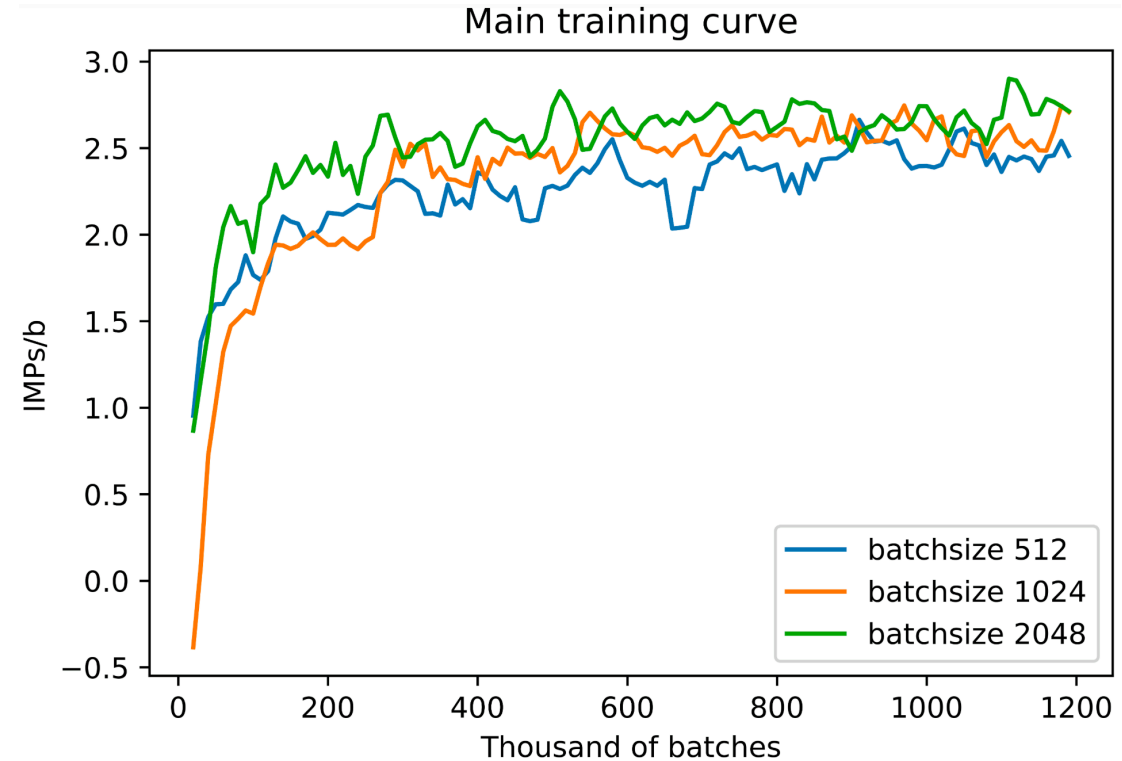
JPS can improve existing policies, and help it jump out of local optima

Contract Bridge Bidding

	N		West	North	East	South
	♠A9743		2♠ ¹	2NT ²	Pass	1♠
	♥K8763	E	Pass	4♣ ³	Pass	3♣
W	♦A6	♠Q82	Pass	5♠ ⁵	Pass	4NT ⁴
♠None	♣7	♥104	Pass	Pass	Pass	7♠
♥QJ952		♦QJ85432				
♦109	S	♣J				
♣KQ10982	♠KJ1065					
	♥A					
	♦K7					
	♣A6543					

(1) Hearts and a minor. (2) Spade support, forcing to game. (3) Short clubs. (4) Keycard Blackwood. (5) Two key cards and the queen of spades, treating his fifth card as the equivalent of the queen.

- **100** years of history
- Imperfect Information
- Collaborative + Competitive
- Large State Space ($5.4 \cdot 10^{28}$)



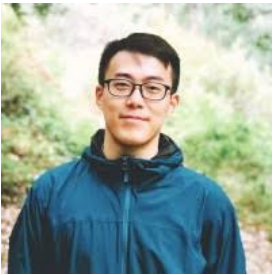
A2C Self-play

Double-Dummy Evaluation against SoTA software

Methods	Vs. WBridge5 (1000 games) (IMPs/board)
Previous SoTA (Rong et al, 2019)	+ 0.25 (on 64 games)
Our A2C baseline	+ 0.29 \pm 0.22
1% JPS (2 days)	+ 0.44 \pm 0.20
5% JPS (2 days)	+ 0.37 \pm 0.19
1% JPS (14 days)	+ 0.63 \pm 0.22

WBridge5: Champions of computer bridge tournament in 2005, 2007, 2008, 2016-2018

BeBold: Exploration Beyond the Boundary of Explored Regions



Tianjun Zhang^{1,4}



Kurt Keutzer¹

¹UC Berkeley



Huazhe Xu^{1,4}

²UCSD



Xiaolong Wang^{1,2}

³Tsinghua University



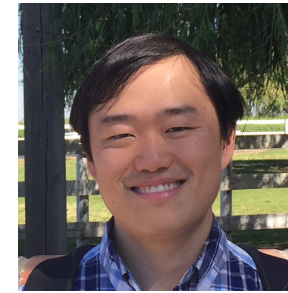
Joseph E. Gonzalez¹

Yuandong Tian⁴

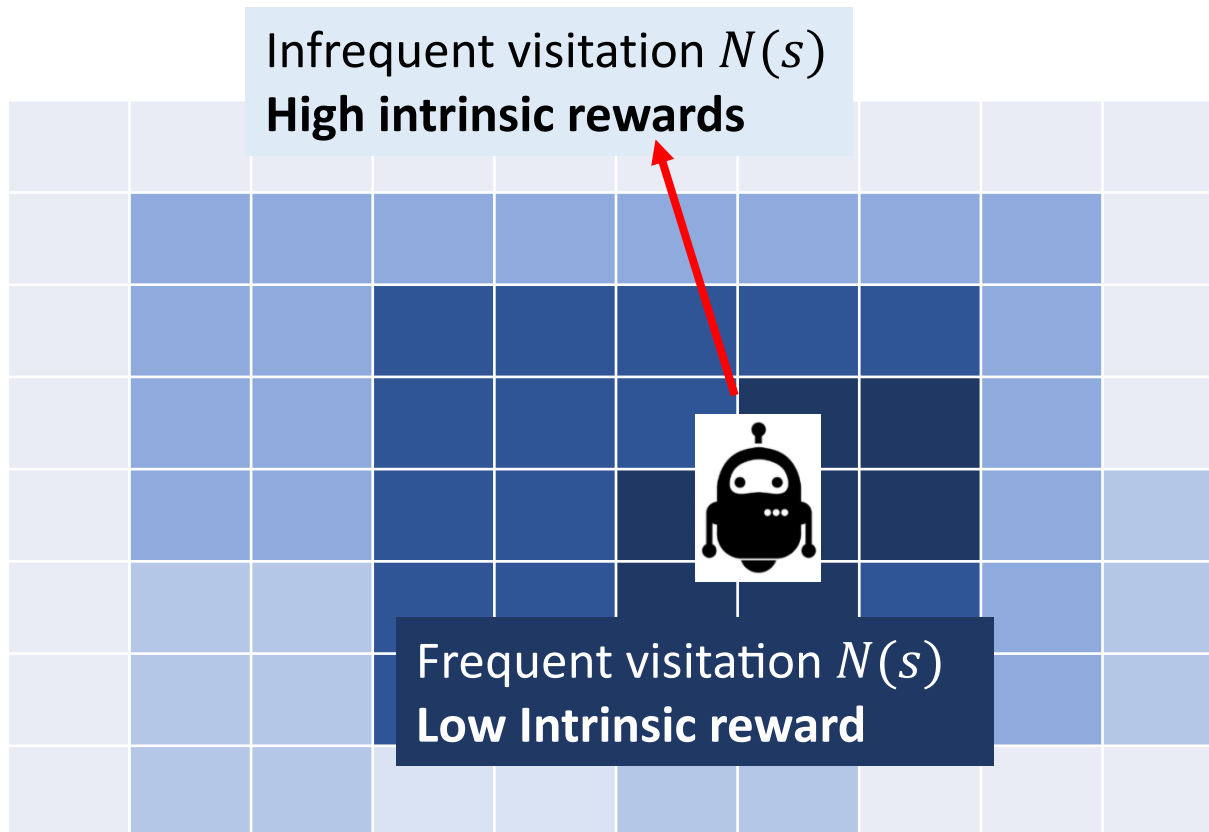
⁴FaceBook AI Research



Yi Wu³



Random Network Distillations (RND)



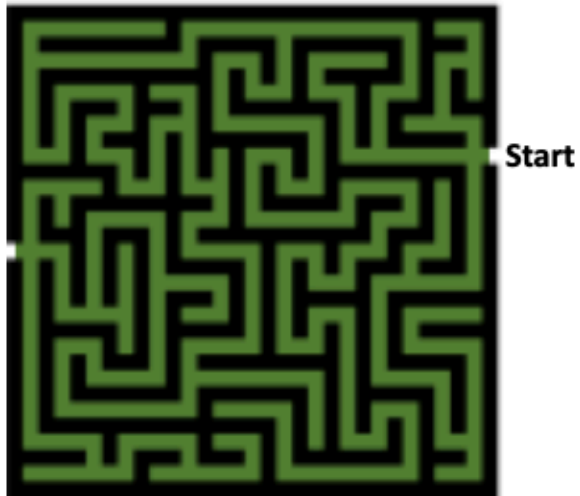
**Low prediction error
= High visitation counts**

$$N(\mathbf{s}) \approx \frac{1}{\|\phi'(\mathbf{s}) - \phi(\mathbf{s})\|}$$

ϕ' = student network
(learning from teacher)

ϕ = random fixed
teacher network

Issues in RND



1. RND assigns high IR (dark green) throughout the environment



2. RND temporarily focuses on the upper right corner (yellow)

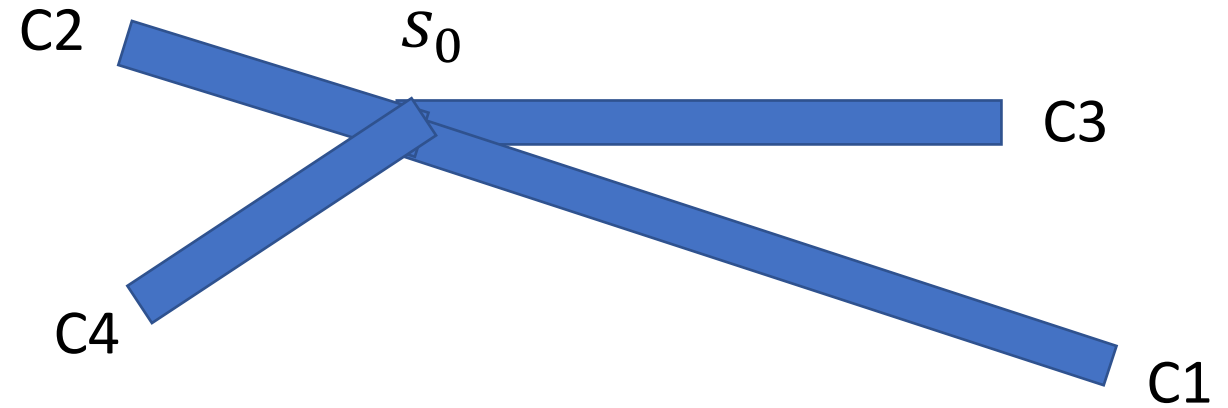


3. RND by chance starts exploring the bottom right corner heavily, resulting in the IR at top right higher than bottom right



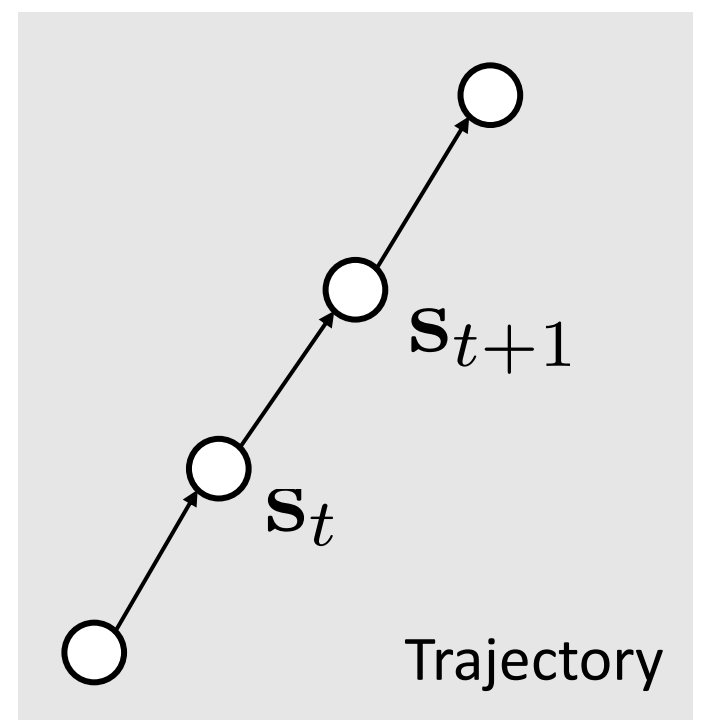
4. RND re-explores the upper right and forgets the bottom right, gets trapped

Multi-Corridor Problems



	C1	C2	C3	C4	Entropy
Length	40	10	30	10	–
Count-Based	66K \pm 28K	8K \pm 8K	23K \pm 35K	13K \pm 18K	1.06 \pm 0.39
BeBold Tabular	26K \pm 2K	28K \pm 8K	25K \pm 6K	29K \pm 9K	1.97 \pm 0.02
RND	0.2K \pm 0.2K	70K \pm 53K	0.2K \pm 0.07K	26K \pm 44K	0.24 \pm 0.28
BeBold	27K \pm 6K	23K \pm 3K	31K \pm 12K	26K \pm 8K	1.96 \pm 0.05

BeBold



$$\underline{r^i(\mathbf{s}_t, \mathbf{a}_t)} = \max \left(\frac{1}{\underline{N(\mathbf{s}_{t+1})}} - \frac{1}{\underline{N(\mathbf{s}_t)}} , 0 \right) * \mathbb{1}\{\underline{N_e(\mathbf{s}_{t+1})} = 1\}$$

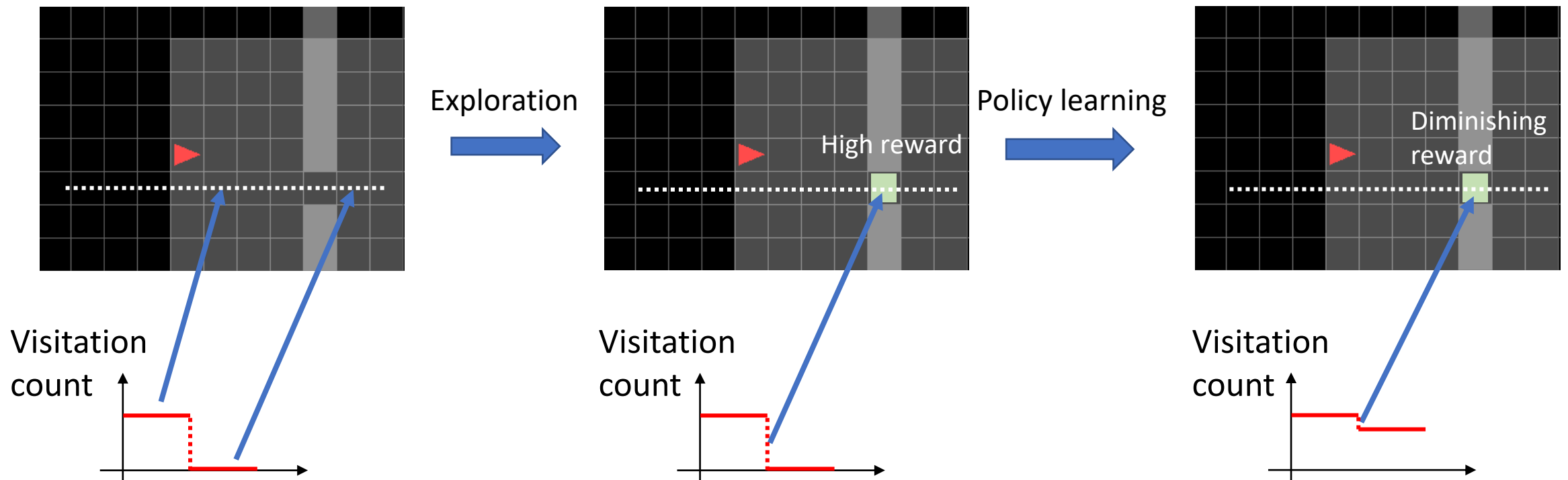
Intrinsic Reward

Inverse of visitation counts

Episodic visitation count

BeBold (Beyond the Boundary of Explored Regions)

Repeat



MiniGrid

	MRN6	MRN7S-8	MRN12-S10	KCS3R3	KCS4R3	KCS5R3	KCS6R3	OM2DI-h	OM2DI-hb	OM1Q	OM2Q	OMFULL
ICM				✓								
RND				✓				✓				
RIDE	✓	✓	✓	✓	✓			✓				
AMIGO				✓								
BeBold	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓

✓ : Solved within 120M steps

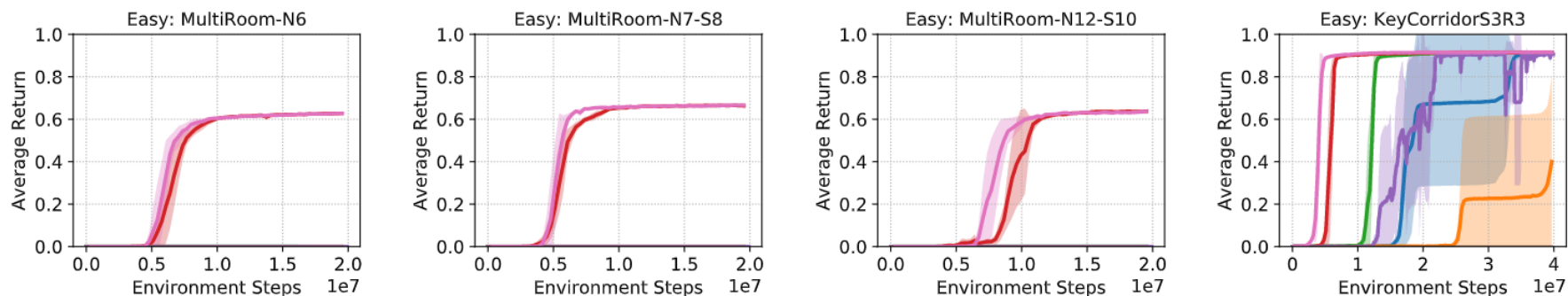
*MR is short for MultiRoom, KC is for KeyCorridor, OM is for ObstructedMaze

[Chevalier-Boisvert, Maxime, Lucas Willems, and Suman Pal. "Minimalistic gridworld environment for openai gym." GitHub repository (2018)]

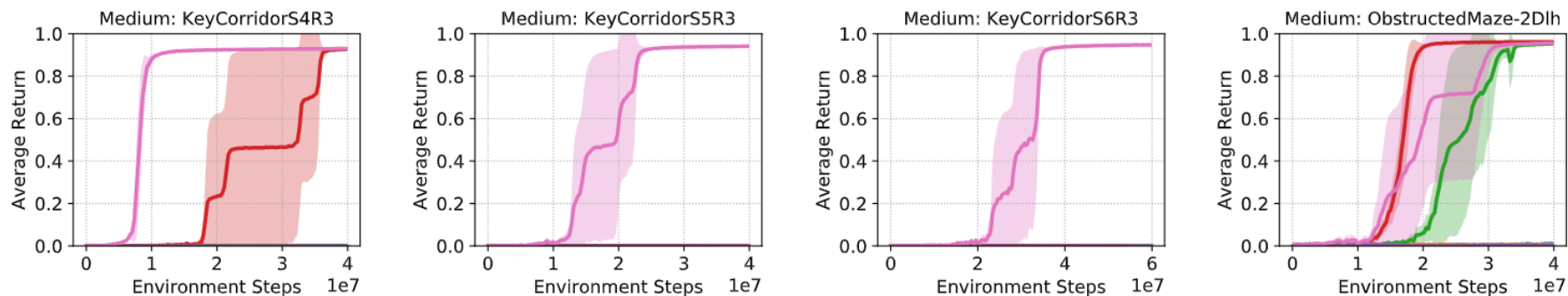
MiniGrid

— IMPALA — ICM — RND — RIDE — AMIGO — BeBold

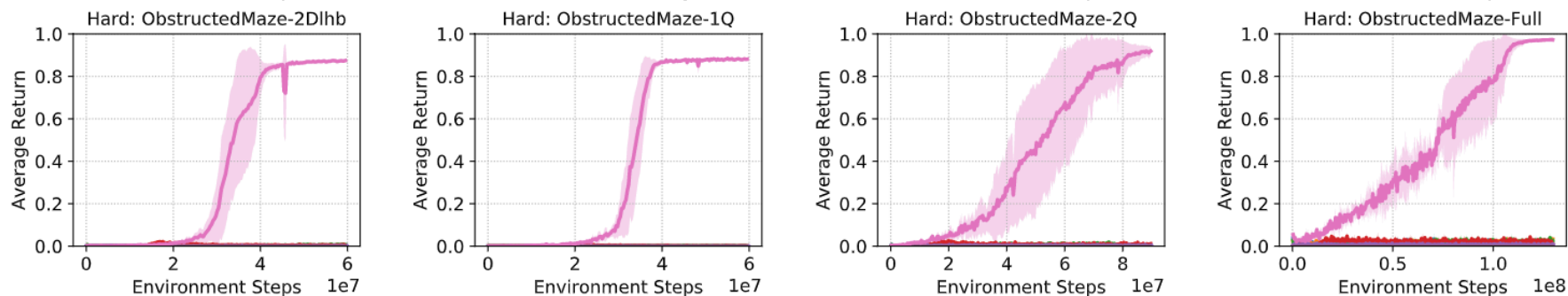
Easy



Medium



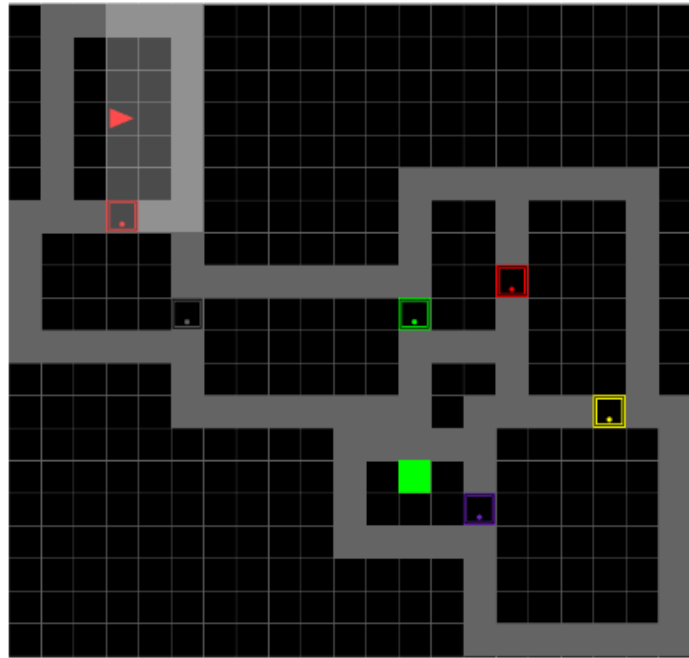
Hard



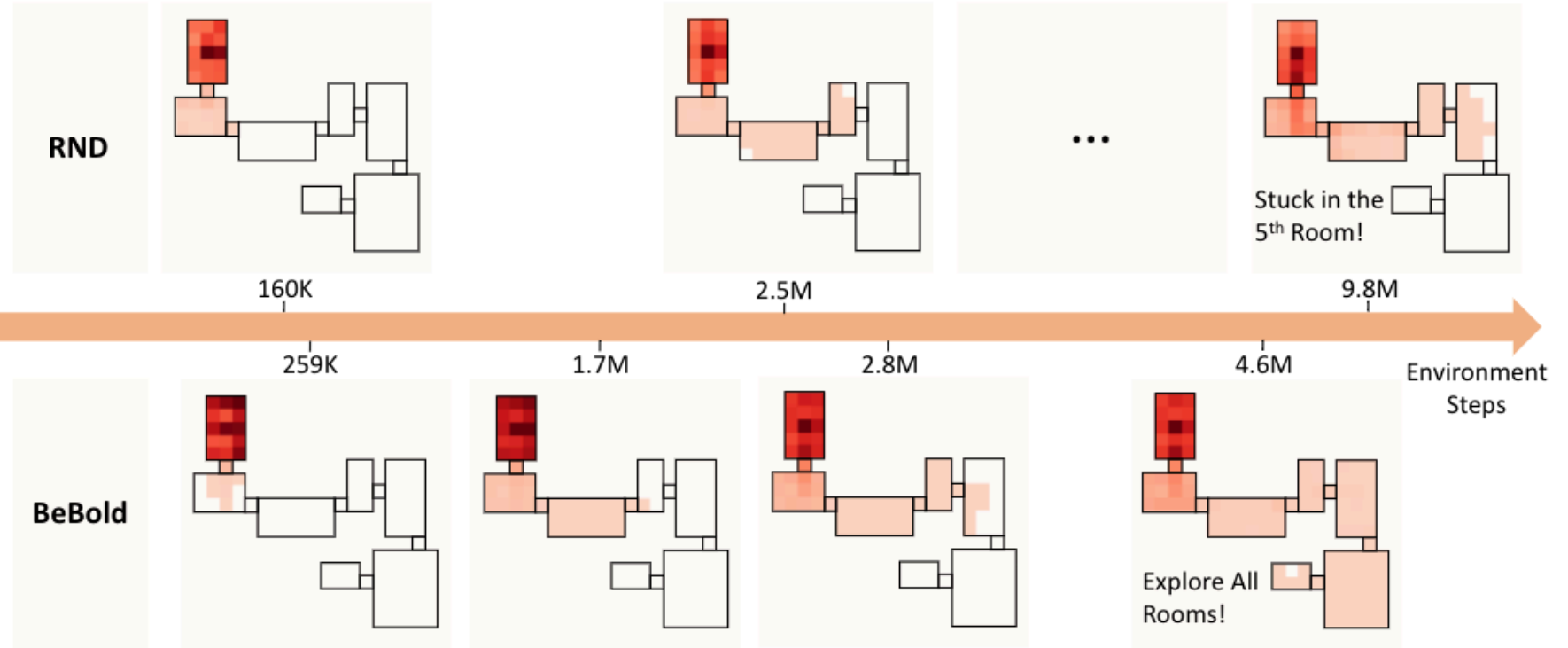
AMIGO: [Campero, Andres, et al. "Learning with AMIGO: Adversarially Motivated Intrinsic Goals." arXiv preprint arXiv:2006.12122 (2020)]

RIDE: [Raileanu, Roberta, and Tim Rocktäschel. "RIDE: Rewarding Impact-Driven Exploration for Procedurally-Generated Environments.", ICLR 2020]

Pure Exploration



MultiRoomN7S8



NetHack

```
➤ You kill the dwarf! Welcome to experience level 5.--More--

Legend
" -- Amulet
) -- Weapon
[ -- Armor
! -- Potion
? -- Scroll
/ -- Wand
= -- Ring
+ -- Spellbook
* -- Gem
( -- Tool
O -- Boulder
$ -- Gold
% -- Comestible

unexplored territory
weapon
fog of war
corpse
armor
agent
enemies
food

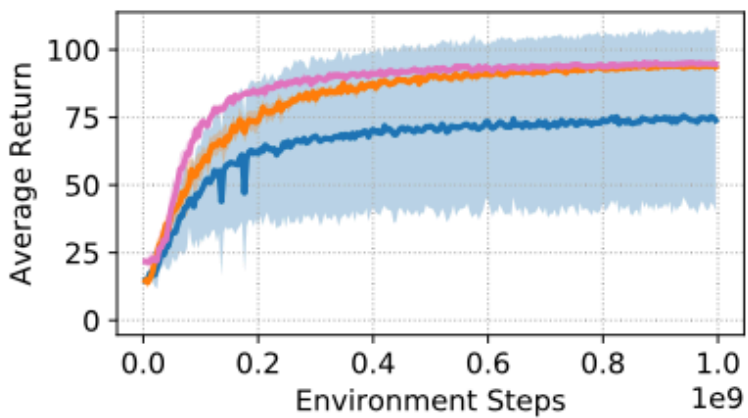
Agent61322 the Novice          St:18/02 Dx:12 Co:12 In:11 Wi:13 Ch:8 Neutral S:
Dlv1:5 $:0 HP:37(39) Pw:25(25) AC:5 Xp:5/168 T:768 Hungry
```

Agent States

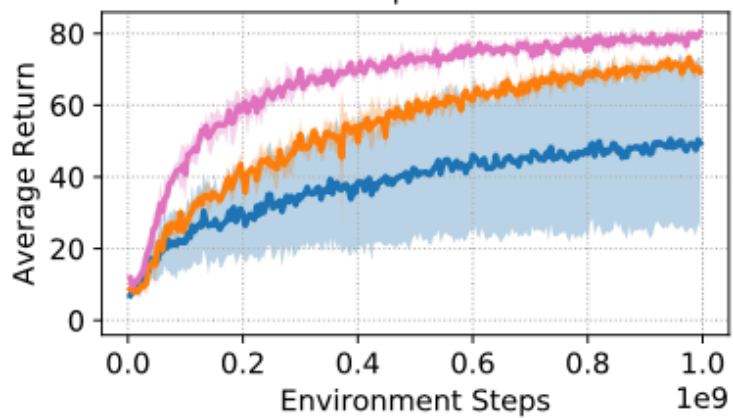
6 Tasks in NetHack

— IMPALA — RND — BeBold

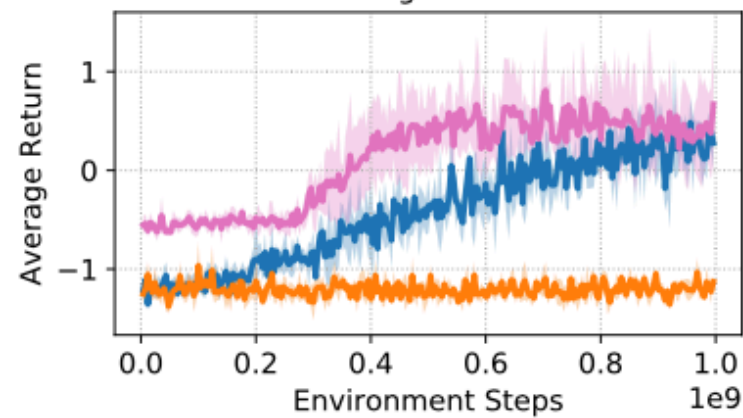
staircase



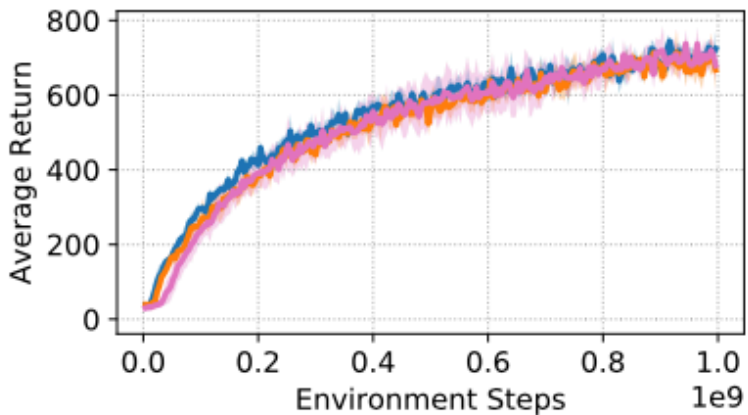
pet



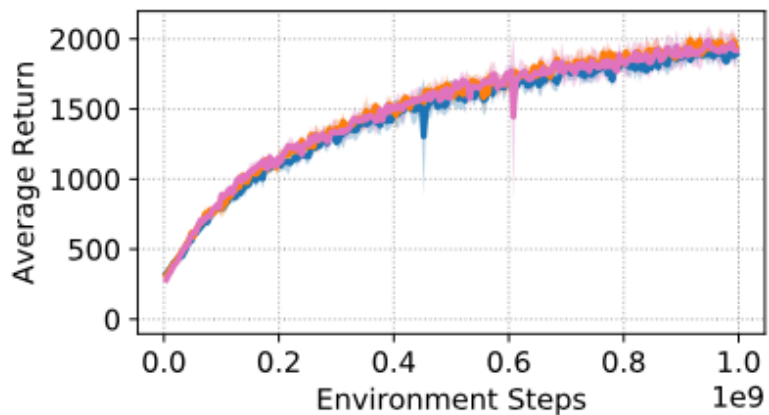
gold



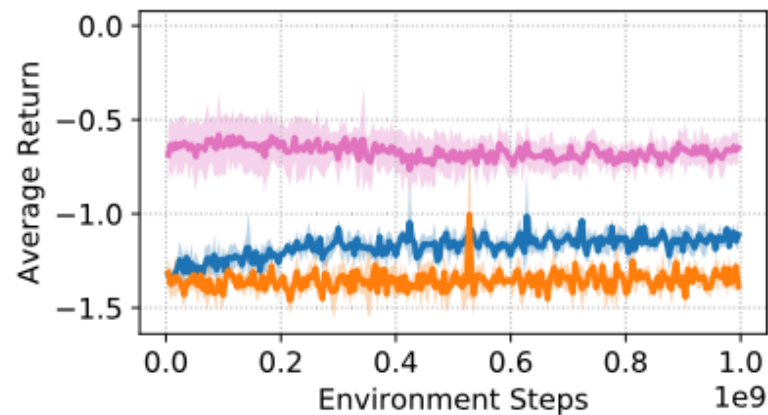
score



scout

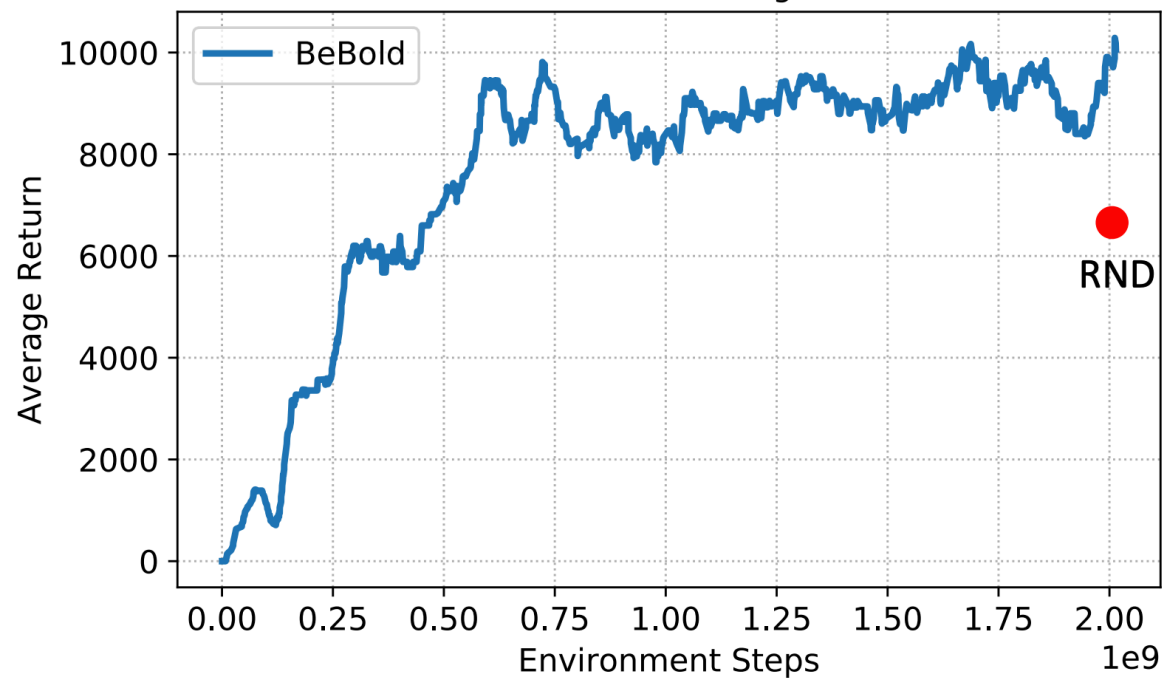


oracle

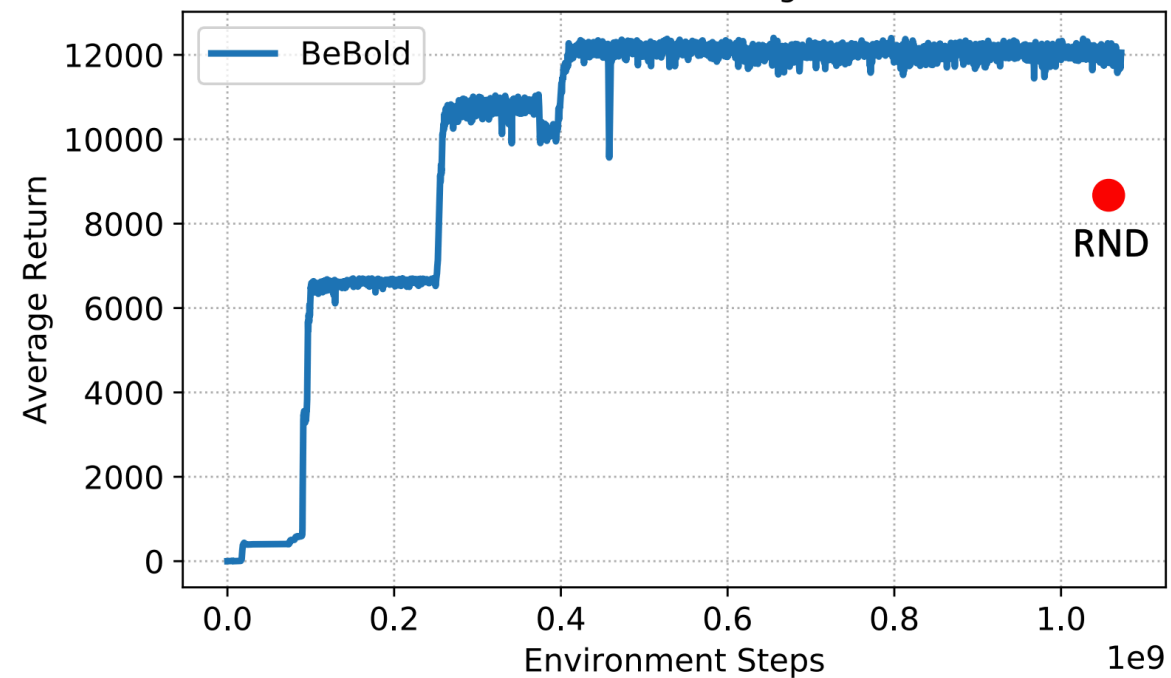


MonteZuma's Revenge

MonteZuma's Revenge CNN



MonteZuma's Revenge RNN



Future Work

- Super simple approach, super good performance.
- Theoretical Understanding?
 - Achieve the goal without exploring each state at least once.
 - Exploration in Factored MDP

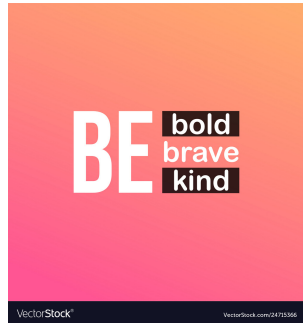


BE BRAVE
BE BOLD
Be Kind

PROCEED
AND
BE BOLD

*be bold
be brave
be you*

Be **BOLD**
BEAUTIFUL
YOU ♡



Thanks!



Be Bold. Be Better. Be You.

Wake Up. Be Bold.

